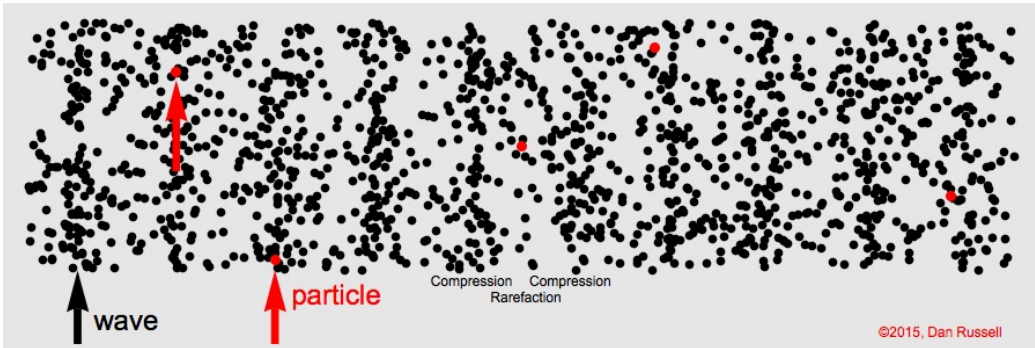


Sound

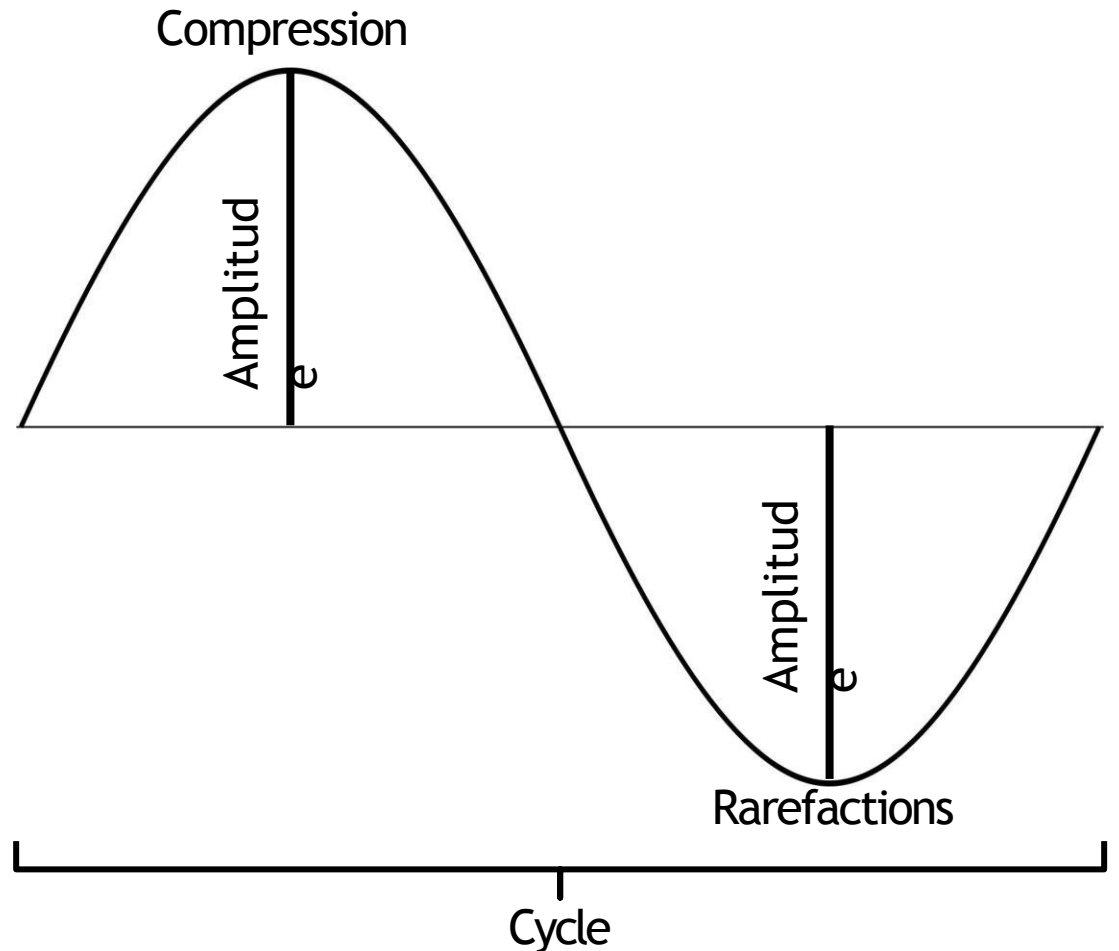
What is Sound?



- Travels as waves of energy
- As the energy travels through the air, it moves the particles causing them to collide with one another
- Each time the particles collide they transfer energy, but a little less each time

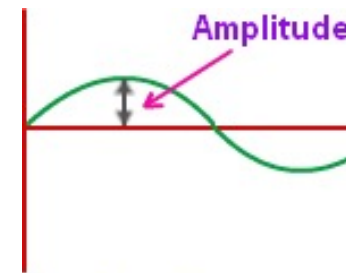
Compressions and Rarefactions

- Compressions are points of increased pressure
- Rarefactions are area of low pressure in the sound wave
- The distance between a compression and rarefaction is a cycle
- The distance between a point of no pressure and the highest or lowest pressure is called amplitude

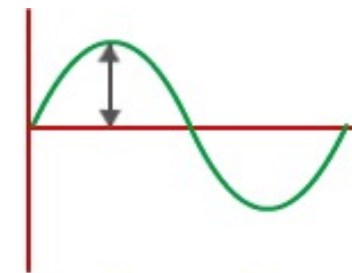


Amplitude and Frequency

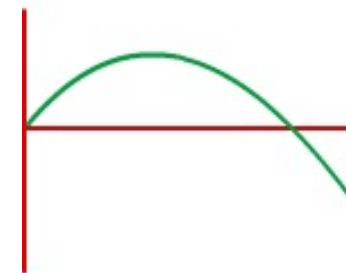
- Amplitude contributes to loudness (intensity) of a sound
- Higher the peaks, the louder the sound
- Frequency contributes to the pitch of the sound.
- Shorter cycles make a higher pitch than longer cycles



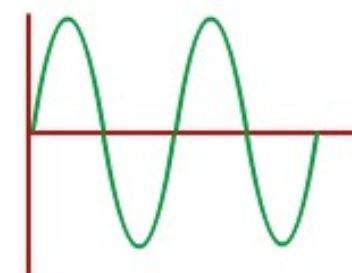
Quieter



Louder



Lower Pitch



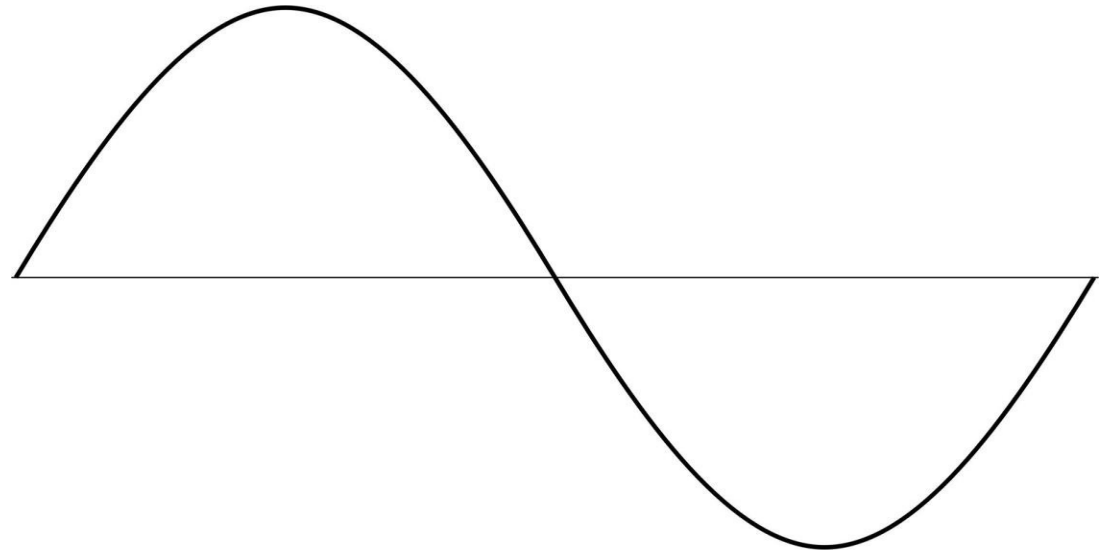
Higher Pitch

Units in Sound

- Frequency or pitch is measured in cycles per second (cps) or Hertz (Hz)
- Increases in pitch mean an increase in Hertz
- Changes in volume, or amplitude are measured in decibels (dB)
- Volume and pitch are both perceived logarithmically (as a ratio and not absolute changes)

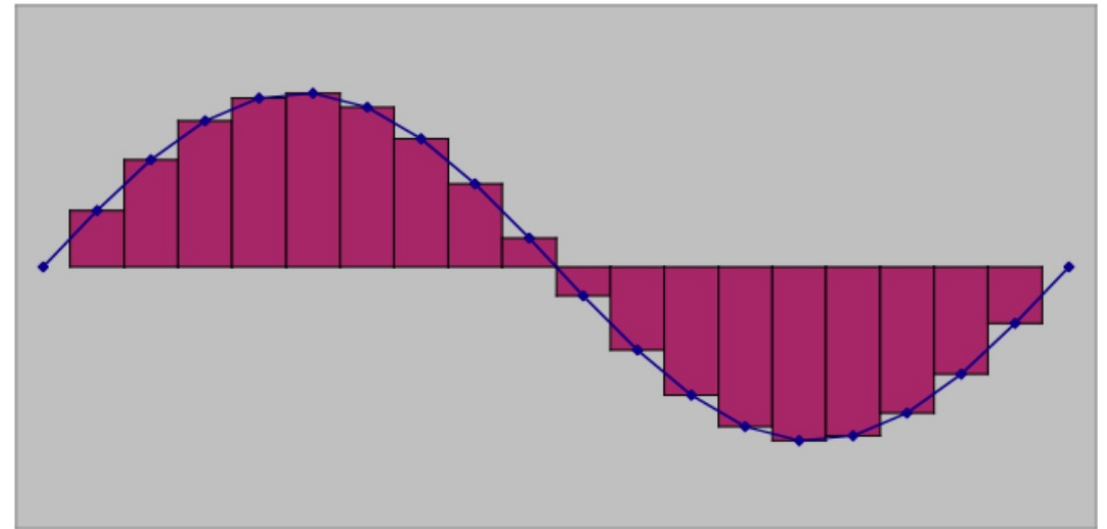
Encoding Sound

- Sound is analog (continuous)
- We need a way to digitize it into a discrete approximation
- Higher pressure == Compressions
- Negative numbers == Rarefactions



Analog to Digital Conversion

- We create an approximation by observing momentary values of the analog signal
- This method is called sampling
- Nyquist theorem says to capture a sound with a most n cycles per second, we need $2n$ samples per second
- The sample rate (how often we record the sound values) is measured in Hertz.



Encoding Sound

- The sampling technique is called pulse code modulation
- Once again, we use binary
- Samples tend to be 2 bytes or 16 bits
- Unlike images, we need to store positive AND negative numbers
- For that, we need a slightly different representation of our numbers
- We call this representation two's complement notation

Two's Complement Notation

- If we have 16 bits, the maximum value we could have is all 1's
 - 11111111 11111111 = 65,535
- However, we need to use those bits for positive and negative numbers
- Simple solution would be to keep one bit to represent the *sign* of the number (0 for + or 1 for -)
- This leaves 15-bits
 - Possible combinations: $2^{15} = 32,768$
 - Since 0 takes a positive value the range is -32,768 to 32,767

Representing a Negative Number

- Let's say we have 20 in binary
 - 00010100
- To make -20, we first invert all the binary digits (1 -> 0 and 0 -> 1)
 - 11101011
- Then we add one to that result
 - $$\begin{array}{r} 11101011 \\ + 00000001 \\ \hline 11101100 = -20 \end{array}$$

Clipping

- What if a sound's value is outside the range of -32,768 and 32,767
- Since our binary representation cannot support those values, they are simply cut off or “clipped” at the maximum values

